| Name: | Date: | Period: |
| :--- | :--- | :--- |

## Lab07: Circle $\pi$

- Use PIL to create a $600 \times 600$ image in PNG format.
- Loop over all the pixels $(x p, y p)$ and calculate $(x, y)$ coordinates:
- Where $0 \leq x p<600$ we have $0 \leq x<1$ instead, and likewise for $y$.
- While $x p$ is always an integer value $x$ is a floating-point number.
- Be careful! Use code $x=(x p+0.5) / 600$ to center the coordinates.
- Color each pixel $(x p, y p)$ differently depending on whether the corresponding coordinates $(x, y)$ fall inside or outside the unit circle: $x^{2}+y^{2}=1$
- Using printer friendly color choices, attach a print-out of this image.
- Then, count up the number of pixels that fall inside the unit circle.
- The area of a unit square is $A=1$, and of the unit circle $A=\pi$, thus a quarter circle has area $\pi / 4$. Our unit square contains 360,000 pixels. How many fall inside the circle?
- Since we know the ratio should be $\pi: 4$ we can approximate $\pi$ as count/90000.
- Fill in the following table for larger and larger sizes:

| Size | Approximation |
| :--- | :--- |
| 600 |  |
| 1000 |  |
| 2000 |  |
| 4000 |  |
| 8000 |  |
| 10000 |  |

## Official Use Only

| Header: | Name | Correct Date | Program Description |
| :--- | :--- | :--- | :--- |
| Style: | Comments | Variable Names | Modular |
| Data Structures: | Obvious | General | Lean |
| Algorithm: | Clear | Correct | Efficient |
| Scoring: | Raw | Late | Total |

